

Modelling and Validation of Concurrent System

Lab 2: exercises on LTSs and bisimulation

1. Represent graphically the LTSs denoted by the following CCS processes

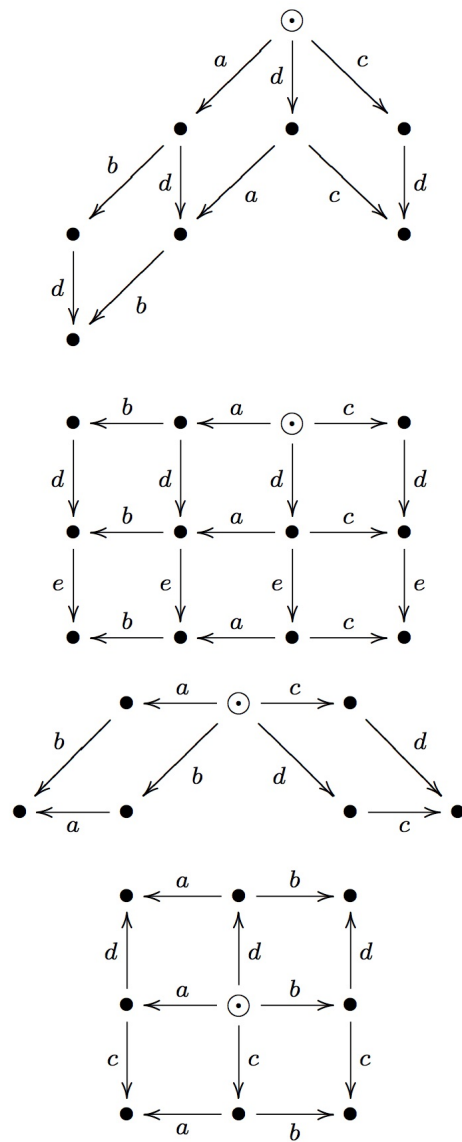
(a) $a.c.\mathbf{0} + b.c.\mathbf{0}$

(b) $a.(d.e.\mathbf{0} + b.c.\mathbf{0})$

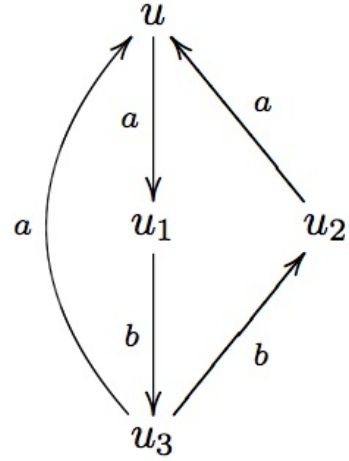
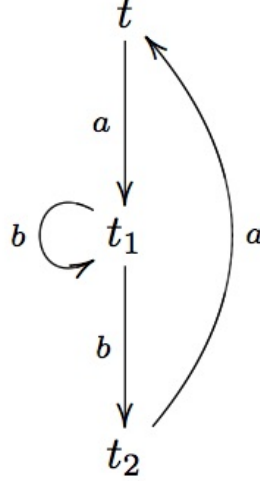
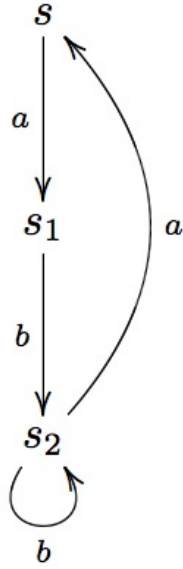
(c) $a.\mathbf{0} \mid b.\mathbf{0}$

(d) $a.\mathbf{0} \mid (b.\mathbf{0} + \mathbf{0})$

2. Define CCS processes corresponding to the following LTSs:



3. Considering the systems presented below, check if the system s is bisimilar to t , u or v .



4. Represent graphically the LTSs denoted by the process $Mutex1$ whose behaviour is defined by the following equation:

$$\begin{aligned} Mutex1 &= (\mathbf{new} \ p \ v)(User \mid Sem) \\ User &= \bar{p}.enter.exit.\bar{v}.User \\ Sem &= p.v.Sem \end{aligned}$$

5. Represent graphically the LTSs denoted by the process $Mutex2$ whose behaviour is defined by the following equation:

$$\begin{aligned} Mutex2 &= (\mathbf{new} \ p \ v)((User \mid Sem) \mid User) \\ User &= \bar{p}.enter.exit.\bar{v}.User \\ Sem &= p.v.Sem \end{aligned}$$

Would the behaviour of $Mutex2$ change if the process $User$ would be defined as follows?

$$User = \bar{p}.enter.\bar{v}.exit.User$$

6. Represent graphically the LTSs denoted by the process $FMutex$ whose behaviour is defined by the following equation:

$$\begin{aligned} FMutex &= (\mathbf{new} \ p \ v)((User \mid Sem) \mid FUser) \\ User &= \bar{p}.enter.exit.\bar{v}.User \\ Sem &= p.v.Sem \\ FUser &= \bar{p}.enter.(exit.\bar{v}.FUser + exit.\bar{v}.0) \end{aligned}$$

Are $Mutex2$ and $FMutex$ bisimilar? Justify your answer.